

How Far From 100?

Math Focus Points

- ◆ Finding the difference between 2- and 3-digit numbers and 100
- ◆ Using the value of each place to make 2- and 3-digit numbers closest to 100
- ◆ Using multiples of 100 as a landmark to solve subtraction problems

Today's Plan		Materials
1 ACTIVITY Introducing How Far From 100?	 15 MIN  CLASS  PAIRS	<ul style="list-style-type: none"> • T33–T35  (from Session 1.3)
2 ACTIVITY How Far From 100?	 30 MIN  PAIRS	<ul style="list-style-type: none"> • <i>Student Activity Book</i>, p. 52 • M54; M55* • Digit Cards
3 DISCUSSION Crossing Over 100	 15 MIN  CLASS  PAIRS	
4 SESSION FOLLOW-UP Daily Practice		<ul style="list-style-type: none"> • <i>Student Activity Book</i>, p. 53 • <i>Student Math Handbook</i>, pp. 29–30; G15

*See *Materials to Prepare*, p. 105.

Ten-Minute Math

What Time Is It? Ask students to set their clocks to 3:40, and record that time on the board. Set the demonstration clock to 3:45 and ask students what time it is. Write 3:45 on the board. Tell students this time can be read as 3:45 or 45 minutes past 3 o'clock.

- If I move the minute hand to the 10, what time will it be? What about to 11? What time will it be then?

Continue to record the times on the board and ask what each time is called. Working in pairs, students practice setting their clocks to 4:15, 6:25, 6:35, and 8:05.

Remember that you have a Digit Card with the number 1 to use throughout the game. You use that card to make 3-digit numbers that are as close as possible to 100. The 3-digit number you make must be greater than 100, so even if you have a zero, you can't use it in the 100s place when you make your 3-digit number.

What's the closest 3-digit number to 100 that you can make with these cards? Talk to a partner about what number you would make and what the difference between that number and 100 is.

After a few minutes, ask students to explain their answers.

We made the largest 2-digit number (76) and the smallest 3-digit number (127) and figured out the difference between both of these numbers and 100. Which number is closer to 100?

Explain to students that their scores for each round will be the smaller difference between the 2- and 3-digit numbers and 100. In the example just worked on, 76 is closer to 100 (24 away) than 127 is (27 away), so the score for that round will be 24. Demonstrate how to record the 3-digit number, how far it is from 100, and the score for the round on the recording sheet on *Student Activity Book* page 52.

2 ACTIVITY *How Far From 100?*



Students play the game *How Far From 100?* (M54) in pairs. Remind each player to take a  Digit Card from the deck to keep throughout the game.

ONGOING ASSESSMENT: Observing Students at Work

Students use knowledge of place value to make 2- and 3-digit numbers close to 100 and determine the difference between each number and 100.

- **Are students using knowledge of place value to make 2- and 3-digit numbers closest to 100?** In other words, do they understand that to make the closest 2-digit number, they must use the largest digit in the tens place? Do they know that to make the closest 3-digit number, they must use the  Digit Card in the hundreds place and the smallest digit from their other cards in the tens place?
- **Are they accurately determining the difference between each number and 100 and identifying the one that is closer?**

DIFFERENTIATION: Supporting the Range of Learners



Intervention Some students may initially need support in determining the smallest 3-digit number closest to 100. When making the largest 2-digit number, they must place the largest digit in the tens place and the next largest in the ones place. Making the smallest 3-digit number reverses this strategy. Refer students who are having a problem with this to representations such as number lines and the 200 Chart (M53).

3 DISCUSSION Crossing Over 100



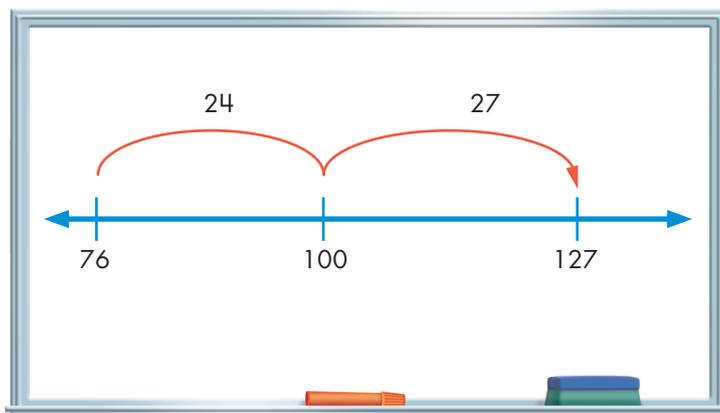
Math Focus Points for Discussion

- Using multiples of 100 as a landmark to solve subtraction problems

Display the transparency Digit Cards 1, 6, 2, and 7 from T33–T34 again or point to them on the board.

Who remembers the closest 2-digit number to 100 that we could make with these cards? What about the closest 3-digit number? How far was each from 100?

As students respond, draw a number line that shows the distance of each number from 100.



What if we wanted to find the difference between 76 and 127? In other words, how far is it from one of these numbers to the other? Talk to a neighbor about this and be ready to explain how you figured out the answer.

Students might say:

“We knew that from 76 to 100 is 24 and from 100 to 127 is 27, so we knew that the distance between 76 and 127 is 24 plus 27. That’s 51.”

$$76 + 24 = 100$$

$$100 + 27 = 127$$

$$24 + 27 = 51$$

$$76 + \underline{51} = 127$$

Sample Student Work

Students might say:

“We started at 127 and subtracted 27 to get to 100. We knew that we had to subtract 24 more to get to 76. We subtracted 51 in all, so the difference between 127 and 76 is 51.”

$$127 - 27 = 100$$

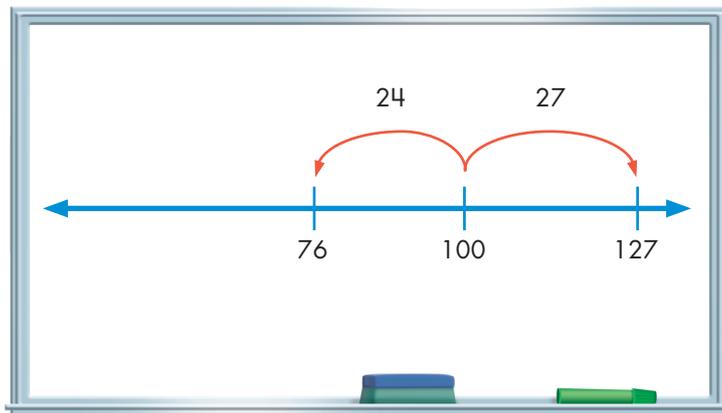
$$100 - 24 = 76$$

$$27 + 24 = 51$$

$$127 - \underline{51} = 76$$

Sample Student Work

Ask a volunteer to show the difference between 76 and 127 on the number line. 2



SESSION FOLLOW-UP

4 Daily Practice



Daily Practice: For ongoing review, have students complete *Student Activity Book* page 53.



Student Math Handbook: Students and families may use *Student Math Handbook* pages 29–30 and G15 for reference and review. See pages 225–233 in the back of this unit.

Math Note

2 **Where's the Answer?** When students use a number line representation for a subtraction problem that involves distance (e.g., finding the difference between 76 and 127), it is important that they recognize that the solution is the series of jumps that they made from one number to the other ($24 + 27 = 51$). This is different from a number line representation of a removal situation, such as subtracting 76 from 127 in parts, when the jumps represent the parts of the number being removed, and the solution is the number landed on (51).

Name _____ Date _____
Collections and Travel Stories Daily Practice

Related Problem Sets

Solve each set of related problems. Think about how to use one problem to solve the next one.

NOTE Students practice solving addition and subtraction problems in related sets.
G15 20–24, 31, 32–35

1. $128 - 10 = \underline{\quad}$
 $128 - 20 = \underline{\quad}$
 $128 - 30 = \underline{\quad}$
 $128 - 40 = \underline{\quad}$

2. $50 + 47 = \underline{\quad}$
 $60 + 47 = \underline{\quad}$
 $70 + 47 = \underline{\quad}$
 $80 + 47 = \underline{\quad}$

3. $90 + \underline{\quad} = 93$
 $80 + \underline{\quad} = 93$
 $60 + \underline{\quad} = 93$
 $30 + \underline{\quad} = 93$

4. $85 + 5 = \underline{\quad}$
 $85 + 15 = \underline{\quad}$
 $85 + 25 = \underline{\quad}$
 $85 + 35 = \underline{\quad}$

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Session 3.3

Unit 3 53

▲ **Student Activity Book, p. 53**